

## Question 1

- a) This is a MARIE program to calculate the Fibonacci series of the given term. The value of 'n' will determine the number of Fibonacci terms of the series that the user wants to print. The program given below calculates the series based on a given set of values which the programmer has decided to implement.

The MARIE assembly level language program is thus:

```

ORG 100

Input Input number

Store N      // The user inputs the number of terms to be printed

Store Ctr    // It stores the counter variable in the accumulator

Loop1, Clear

Load Ctr     // The counter is loaded into the processor form the accumulator

Subt C1      // The counter is subtracted by c1

Store Ctr

Load F2      // F2 is loaded into the accumulator

Add F1       // F1 is added

Store F3     // F3 is stored into the accumulator

Load F1      // F1 is loaded into the accumulator

Store F2     // F2 is stored into the accumulator

Load F3

Store F1

Load Ctr

```

```
Skipcond 400      // Check condition is skipped here
Jump Loop1       // Jump condition to the location 400
Load Ctr
Output
Load N           // Output is N
Output
Load F1         // the Final output is placed
Output
Halt            // control halts
N, DEC 0
Ctr, DEC 0
C1, DEC 1
F1, DEC 0
F2, DEC 1
F3, DEC 0
```

- b) For some values of  $n$ , the program is not producing appropriate results as it should behave. This abnormality is occurring due to the limit of the integers being crossed by the system. There is a limit to the value that can be stored by data type. In this case after careful analysis of the output we have seen that the output produced is correct for values of  $n$  up to  $n=24$ . After this threshold is reached or crossed the program starts displaying results in the negative value ranges.

Question 2:

We can still accommodate,

Total Number. of possible instruction encoding schemes =  $2^{11}=2048$

the number of encoding schemes taken by the 2 address instruction =  $5 \times 2^4 \times 2^4 = 1280$

1 address instruction encoding number of address =  $32 \times 2^4 = 512$

therefore total number of zero address instructions are =  $2048 - (1280 + 512) = 256$

Question 3:

The zero address code for the same expression is:

ADD R1, B, C
ADD R2, D, E
MULT A, R1, R2

In a 2 address machine

LOAD R1, B
ADD R1, C
LOAD R2, E
ADD R2, E
MULT R2, R1
STORE A, R2

In a one address machine

Load B
Add C
Store Temp
Load D
Add E
Mult Temp
Store A

In zero address machine

Push B
Push C
Add
Push D
Push E
Add

Mult
Store A

Samples